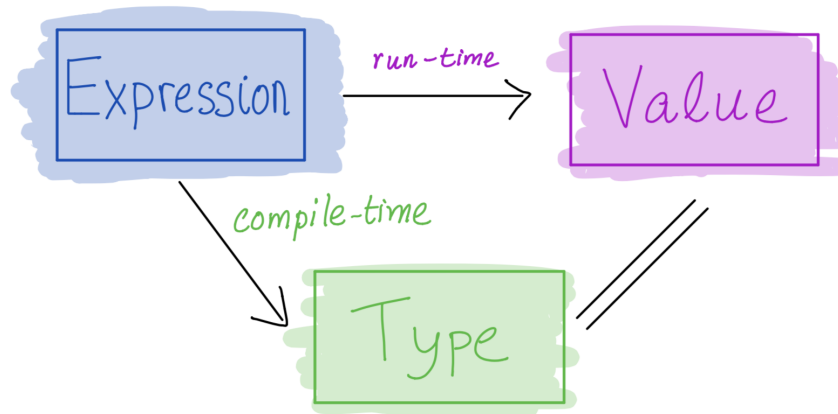


# Haskell Crash Course Part II

## Recap: Haskell Crash Course II



- Core program element is an **expression**
- Every *valid* expression has a **type** (determined at compile-time)
- Every *valid* expression reduces to a *value* (computed at run-time)

# *Recap: Haskell*

## **Basic values & operators**

- Int , Bool , Char , Double
- + , - , == , /=

## **Execution / Function Calls**

- Just *substitute equals by equals*

## **Producing Collections**

- Pack data into *tuples & lists*

## **Consuming Collections**

- Unpack data via *pattern-matching*

## *Next: Creating and Using New Data Types*

1. **type** Synonyms: *Naming* existing types
2. **data** types: *Creating* new types

# Type Synonyms

Synonyms are just names (“aliases”) for existing types

- think `typedef` in C

## *A type to represent `Circle`*

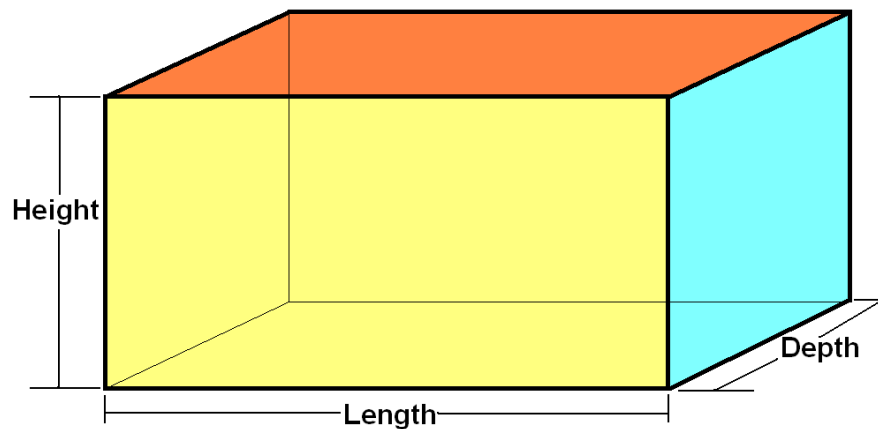
A tuple  $(x, y, r)$  is a *circle* with center at  $(x, y)$  and radius  $r$

```
type Circle = (Double, Double, Double)
```

## *A type to represent Cuboid*

A tuple (length, depth, height) is a *cuboid*

**type** Cuboid = (Double, Double, Double)



## Using Type Synonyms

We can now use synonyms by creating values of the given types

```
circ0 :: Circle
```

```
circ0 = (0, 0, 100) -- ^ circle at "origin" with radius 100
```

```
cub0 :: Cuboid
```

```
cub0 = (10, 20, 30) -- ^ cuboid with length=10, depth=20, height=30
```

And we can write functions over synonyms too

```
area :: Circle -> Double
area (x, y, r) = pi * r * r
```

```
volume :: Cuboid -> Double
volume (l, d, h) = l * d * h
```

We should get this behavior

```
>>> area circ0
31415.926535897932
```

```
>>> volume cub0
6000
```

## QUIZ

Suppose we have the definitions

```
type Circle = (Double, Double, Double)
```

```
type Cuboid = (Double, Double, Double)
```

```
circ0 :: Circle
```

```
circ0 = (0, 0, 100) -- ^ circle at "origin" with radius 100
```

```
cub0 :: Cuboid
```

```
cub0 = (10, 20, 30) -- ^ cuboid with length=10, depth=20, height=30
```

```
area :: Circle -> Double
```

```
area (x, y, r) = pi * r * r
```

```
volume :: Cuboid -> Double
```

```
volume (l, d, h) = l * d * h
```

What is the result of

```
>>> volume circ0
```

A. 0

B. Type error



# *Beware!*

## Type Synonyms

- Do not *create* new types
- Just *name* existing types

And hence, synonyms

- Do not prevent *confusing* different values

## Creating New Data Types

We can avoid mixing up by creating *new data* types

```
-- | A new type `CircleT` with constructor `MkCircle`  
data CircleT = MkCircle Double Double Double
```

*you choose*

```
-- | A new type `CuboidT` with constructor `MkCuboid`  
data CuboidT = MkCuboid Double Double Double
```

*Name of new type*

*Constructors are the only way to create values*

- MkCircle creates CircleT
- MkCuboid creates CuboidT

# QUIZ

Suppose we create a new type with a **data** definition

```
-- | A new type `CircleT` with constructor `MkCircle`  
data CircleT = MkCircle Double Double Double
```

What is the **type of** the `MkCircle` constructor?

- A. `MkCircle :: CircleT`
- B. `MkCircle :: Double -> CircleT`
- C. `MkCircle :: Double -> Double -> CircleT`
- D. `MkCircle :: Double -> Double -> Double -> CircleT`
- E. `MkCircle :: (Double, Double, Double) -> CircleT`

## Constructing Data

Constructors let us *build* values of the new type

```
circ1 :: CircleT
```

```
circ1 = MkCircle 0 0 100 -- ^ circle at "origin" w/ radius 100
```

```
cub1 :: Cuboid
```

```
cub1 = MkCuboid 10 20 30 -- ^ cuboid w/ len=10, dep=20, ht=30
```

# QUIZ

Suppose we have the definitions

```
data CuboidT = MkCuboid Double Double Double
```

```
type Cuboid = (Double, Double, Double)
```

```
volume :: Cuboid -> Double
```

```
volume (l, d, h) = l * d * h
```

What is the result of

```
>>> volume (MkCuboid 10 20 30)
```

A. 6000

B. Type error

# *Deconstructing Data*

Constructors let us *build* values of new type ... but how to *use* those values?

How can we implement a function

```
volume :: Cuboid -> Double  
volume c = ???
```

such that

```
>>> volume (MkCuboid 10 20 30)  
6000
```

# *Deconstructing Data by Pattern Matching*

Haskell lets us *deconstruct* data via pattern-matching

```
volume :: Cuboid -> Double
volume c = case c of
    MkCuboid l d h -> l * d * h
```

**case** e **of** Ctor x y z -> e1 is read as as

**IF** - e evaluates to a value that *matches the pattern* Ctor vx vy vz

**THEN** - evaluate e1 after naming x := vx, y := vy, z := vz

# Pattern matching on Function Inputs

Very common to do matching on function inputs

```
volume :: Cuboid -> Double
volume c = case c of
    MkCuboid l d h -> l * d * h
```

```
area :: Circle -> Double
area a = case a of
    MkCircle x y r -> pi * r * r
```

So Haskell allows a nicer syntax: *patterns in the arguments*

```
volume :: Cuboid -> Double
volume (MkCuboid l d h) = l * d * h
```

```
area :: Circle -> Double
area (MkCircle x y r) = pi * r * r
```

Nice syntax *plus* the compiler saves us from *mixing up* values!