The type [T] denotes an unbounded sequence of values of type T

Suppose you have a list

There is no T that we can use

- As last element is not Int.
- First two elements are not Char!

Result: Mysterious Type Error!



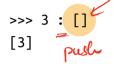
There are two ways to construct lists



Carvas

[] -- creates an empty list
h:t -- creates a list with "head" 'h' and "tail" t

For example



Cons Operator: is Right Associative

x1 : x2 : x3 : x4 : t means x1 : (x2 : (x3 : (x4 : t)))

So we can just avoid the parentheses.

Syntactic Sugar

Haskell lets you write [x1, x2, x3, x4] instead of x1 : x2 : x3 : x4 : []

h: X,: X2: X3

Functions Producing Lists

Lets write a function copy3 that

- takes an input x and
- returns a list with three copies of x

```
copy3 :: ???
copy3 x = ???
```

When you are done, you should see the following

```
>>> copy3 5
[5, 5, 5]
>>> copy3 "cat"
["cat", "cat", "cat"]
```

PRACTICE: Clone

Write a function clone such that clone $n \times returns$ a list with $n \times returns$ of x.

clone :: ???
clone n x = ???

When you are done you should see the following behavior

```
>>> clone 0 "cat"
[]

>>> clone 1 "cat"
["cat"]

>>> clone 2 "cat"
["cat", "cat"]

>>> clone 3 "cat"
["cat", "cat", "cat"]

>>> clone 3 100
[100, 100, 100]
```

How does clone execute?

(Substituting equals-by-equals!)

EXERCISE: Range

Write a function range such that range i j returns the list of values [i, i+1, ..., j]

```
range :: ???
range i j = ???
```

When we are done you should get the behavior

```
>>> range 3 3
[]

>>> range 2 3
[2]

>>> range 1 3
[1, 2]

>>> range 0 3
[1, 2, 3]
```

Functions Consuming Lists

So far: how to produce lists.

Next how to consume lists!

Example

Lets write a function firstElem such that firstElem xs returns the *first* element xs if it is a non-empty list, and 0 otherwise.

```
firstElem :: [Int] -> Int
firstElem xs = ???
```

When you are done you should see the following behavior:

```
>>> firstElem []
0
>>> firstElem [10, 20, 30]
10
>>> firstElem [5, 6, 7, 8]
5
```